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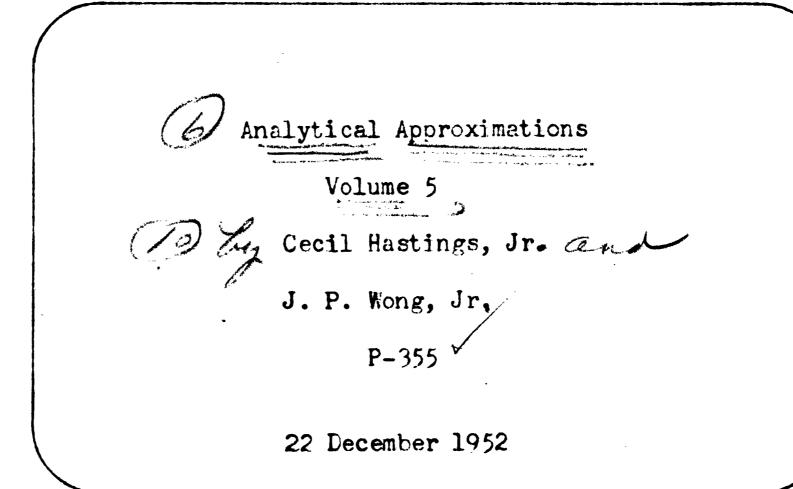
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SANTA MONICA



Offset Circle Probability Function: We consider the function

$$q(R,x) = \int_{R}^{\infty} e^{-\frac{1}{2}(f^2+x^2)} I_0(fx) f df$$

in which  $I_o(z)$  is the usual Bessel function.

To better than .0017 over (0,2),

$$q(2,x) = .135 + .566 \left(\frac{x}{2}\right)^2 - .096 \left(\frac{x}{2}\right)^4$$

Offset Circle Probability Function: We consider the function

$$q(R,x) = \int_{R}^{\infty} e^{-\frac{1}{2}(f^2+x^2)} I_0(f^2x) f d$$

in which  $I_o(z)$  is the usual Bessel function.

To better than .0008 over (0,3),

$$q(3,x) = .011 + .231 \left(\frac{x}{3}\right)^2 + .654 \left(\frac{x}{3}\right)^4 - .329 \left(\frac{x}{3}\right)^6$$

Offset Circle Probability Function: We consider the function

$$q(R,x) = \int_{R}^{\infty} e^{-\frac{1}{2}(\int_{R}^{2} x^{2})} I_{o}(\int_{R} x) \int_{R} d \int_{R}^{\infty} \frac{1}{2} \int_{R}^{\infty}$$

in which  $I_o(z)$  is the usual Bessel function.

To better than .0011 over  $(1, \infty)$ ,

$$q(R,R) = \frac{R + .183}{2R - .388}$$

Offset Circle Probability Function: We consider the function

$$q(R,x) = \int_{R}^{\infty} e^{-\frac{1}{2}(\int_{R}^{2} x^{2})} I_{o}(\int_{R}^{2} x) \int_{R}^{d} f$$

in which I o(z) is the usual Bessel function.

To better than .0004 over (0,1),

$$q(R,R) = \frac{1}{2} \left\{ 1 + e^{-R^2} I_o(R^2) \right\}$$

$$= 1 - .4921R^2 + .3212R^4 - .0966R^6.$$

Offset Circle Probability Function: We consider the function

$$= q(R,x) = \int_{R}^{\infty} e^{-\frac{1}{2}(\int^{2} + x^{2})} I_{0}(\int x) \int d \int$$

in which  $I_o(z)$  is the usual Bessel function.

To better than .0013 over (0,4),

$$q(4,4-y) \doteq \frac{.551}{\left[1 + .187y + .055y^2 + .051y^3\right]^4}$$